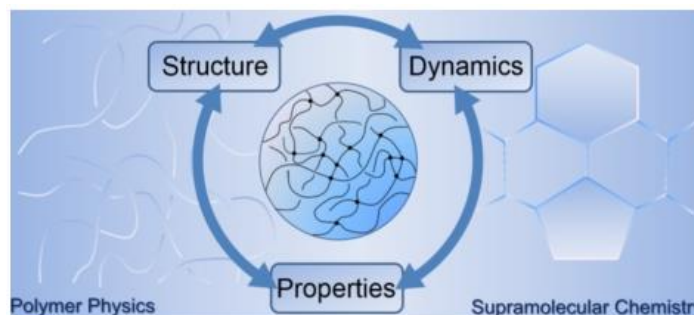




Marie Skłodowska Curie ITN-DoDyNet

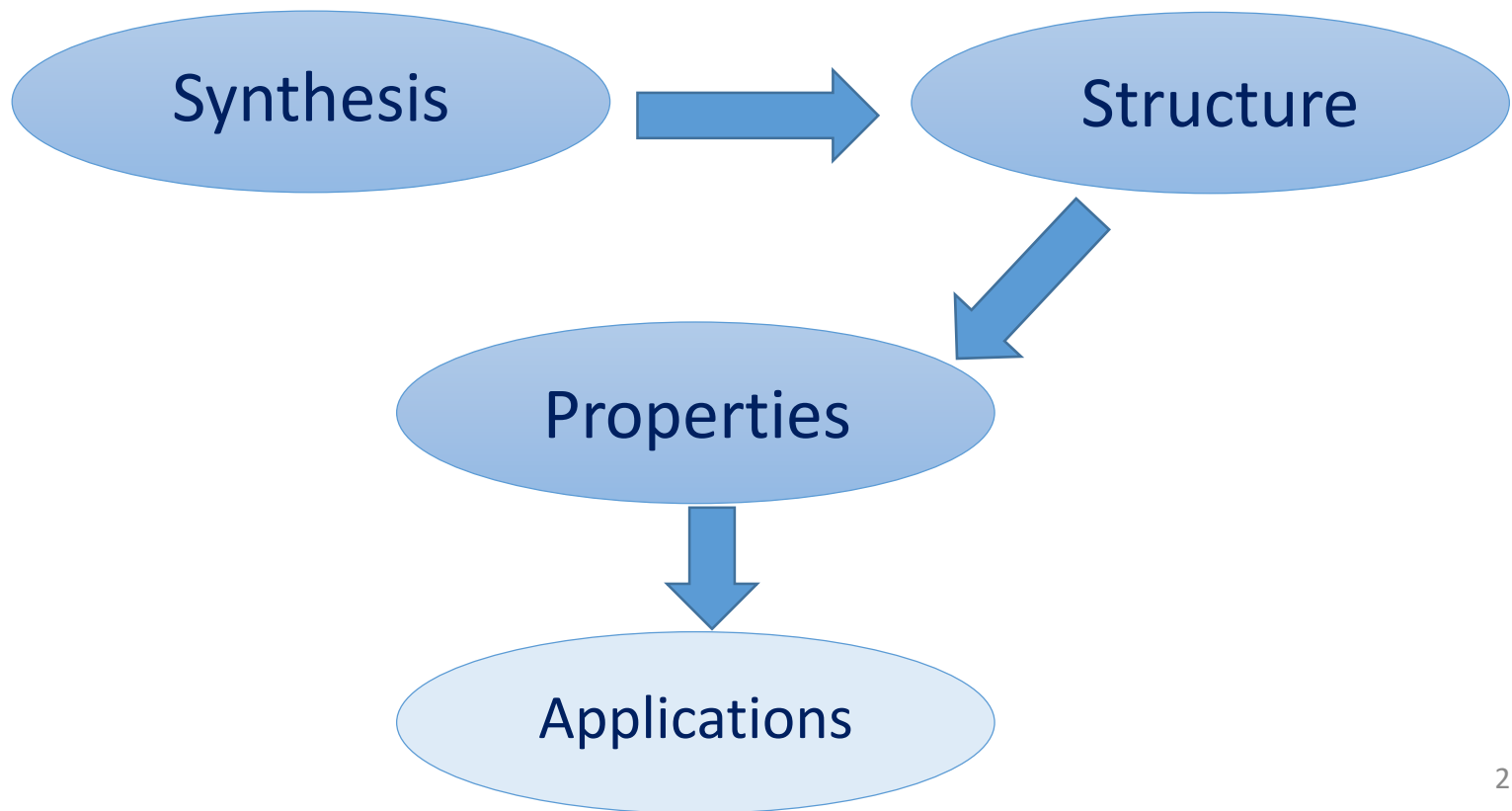
Double dynamics for design of new responsive polymer networks and gels



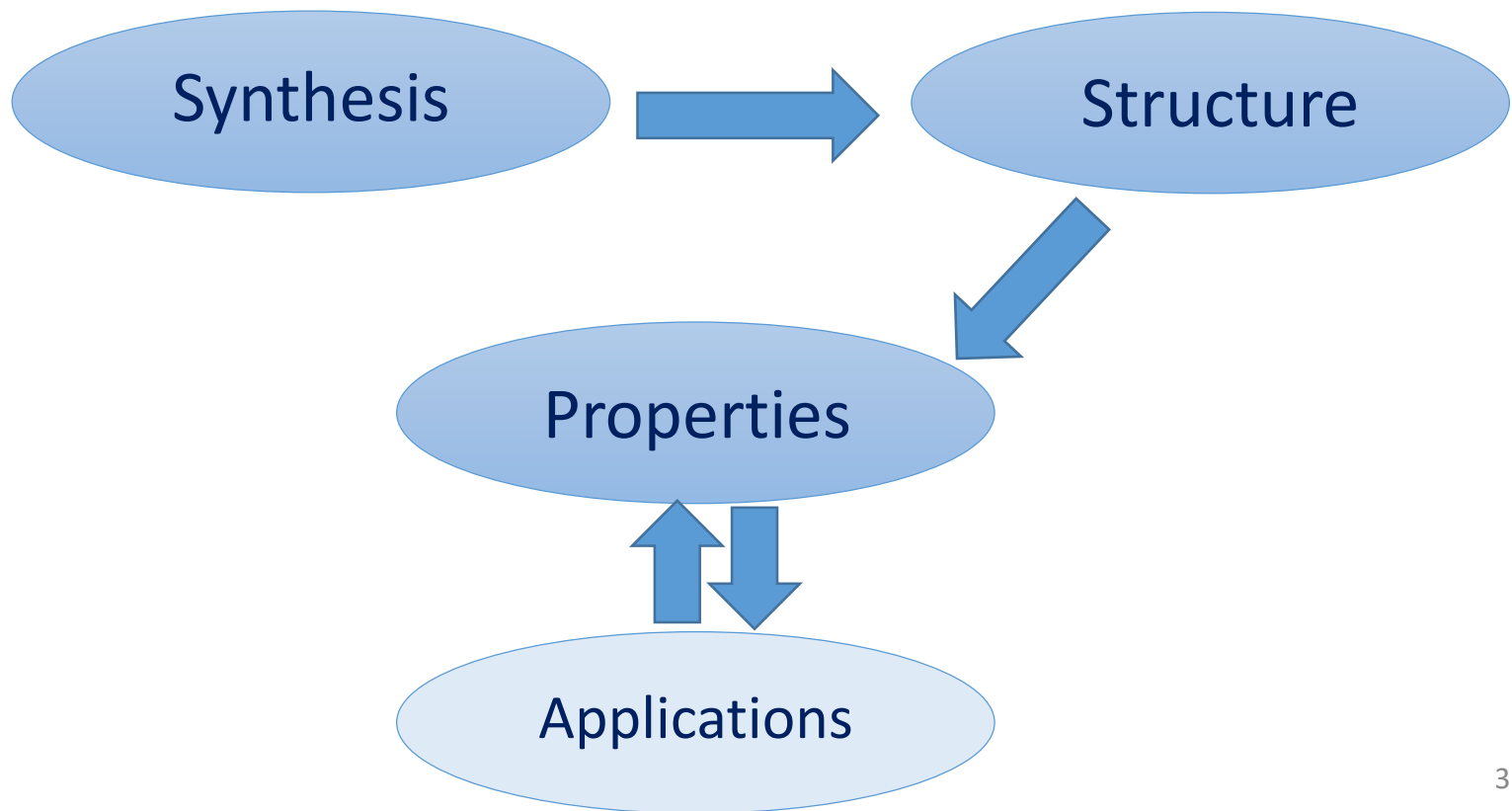
“Structure and diffusion in DDNs at the nano- to micro- scale”

Paola Nicolella (ESR 10)

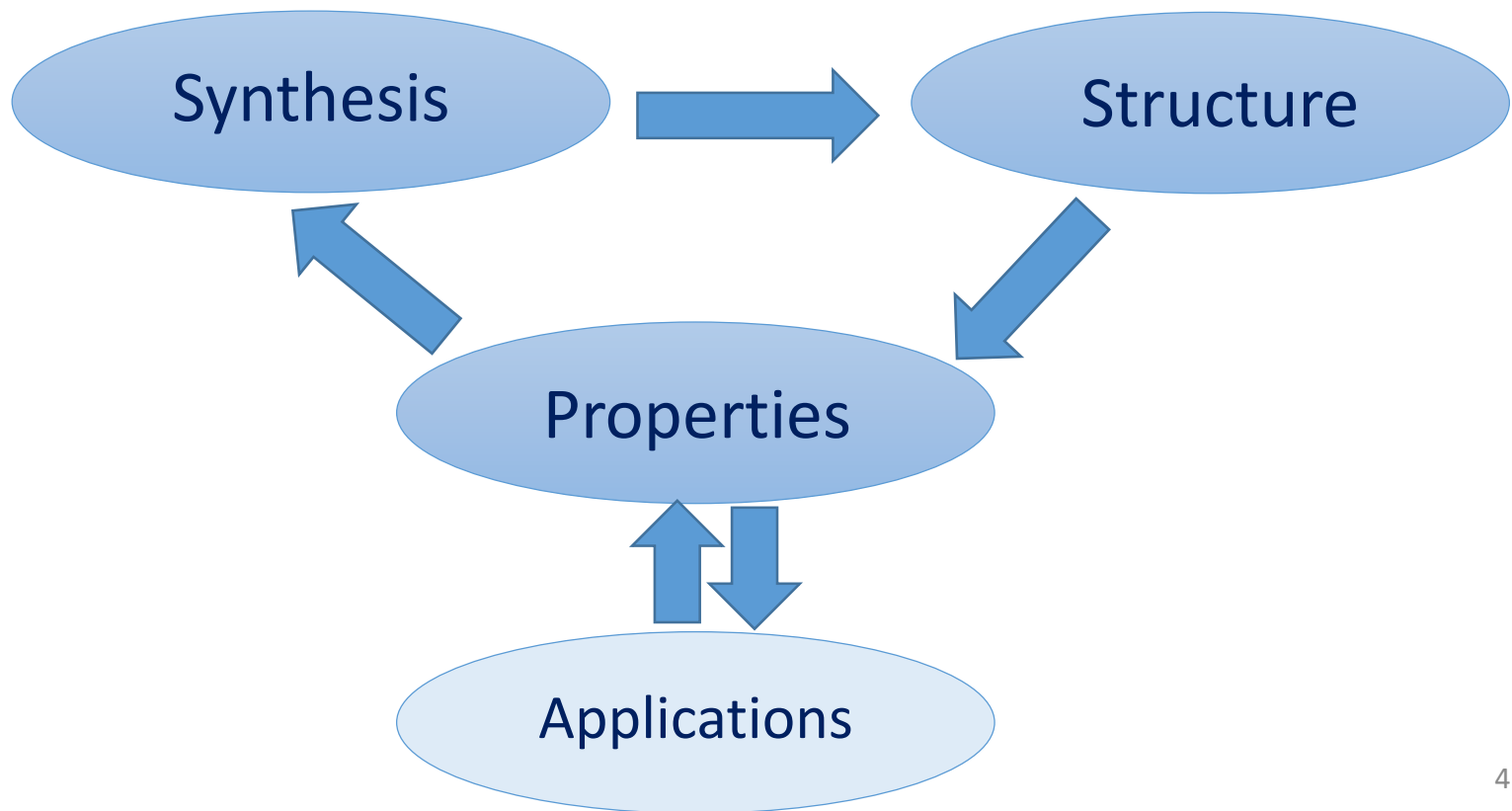
Structure and diffusion in DDNs at the nano- to micro- scale



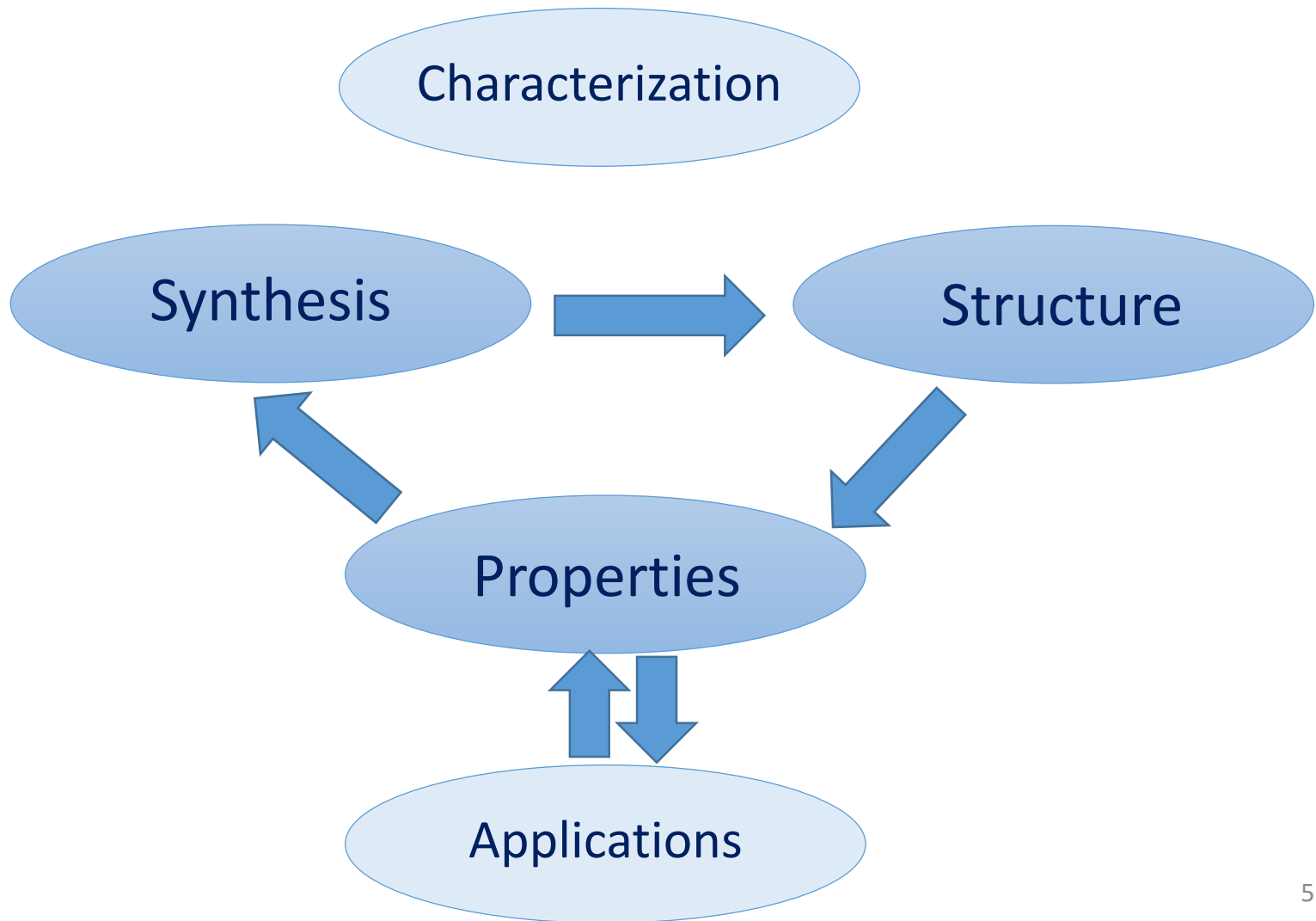
Structure and diffusion in DDNs at the nano- to micro- scale



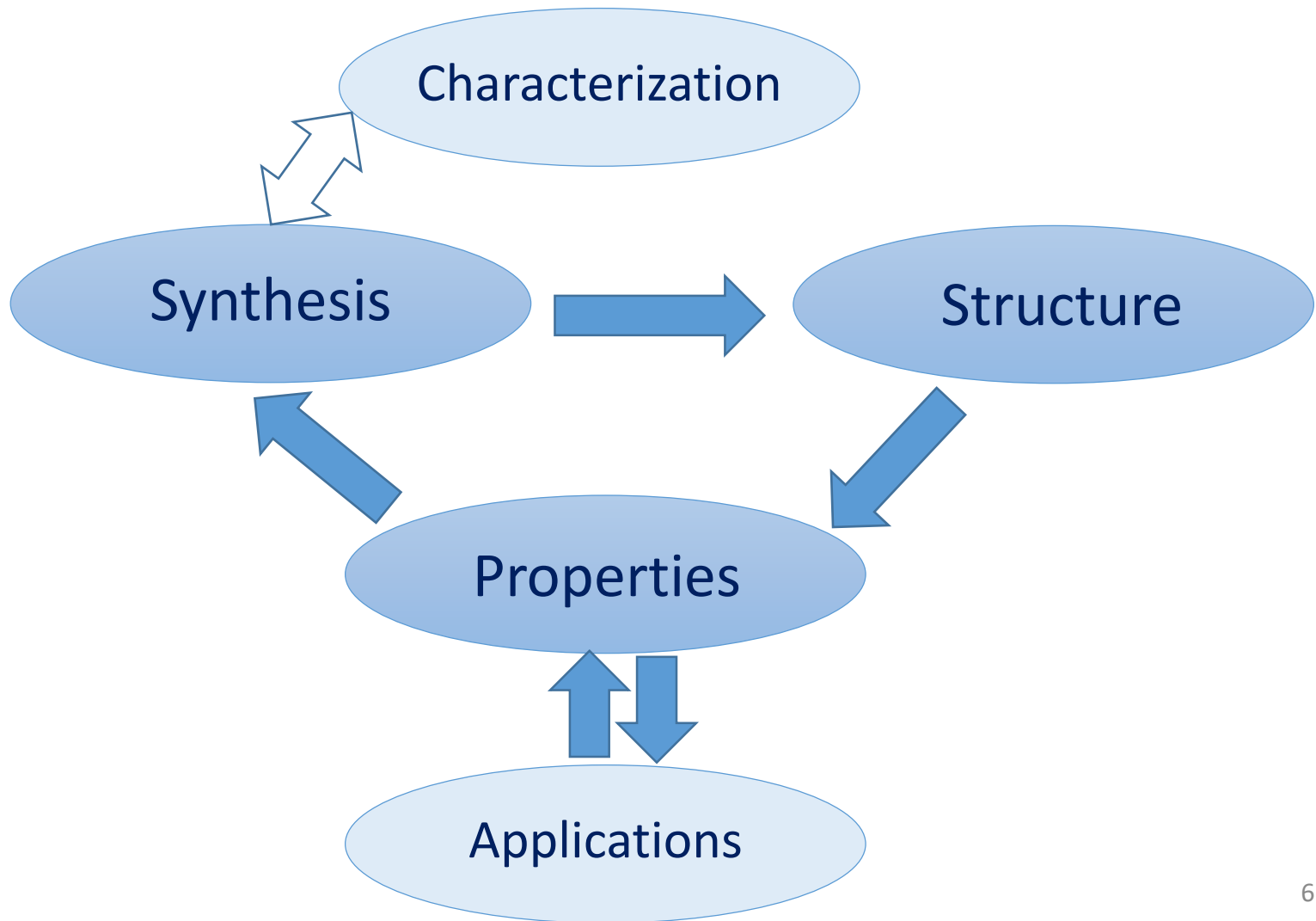
Structure and diffusion in DDNs at the nano- to micro- scale



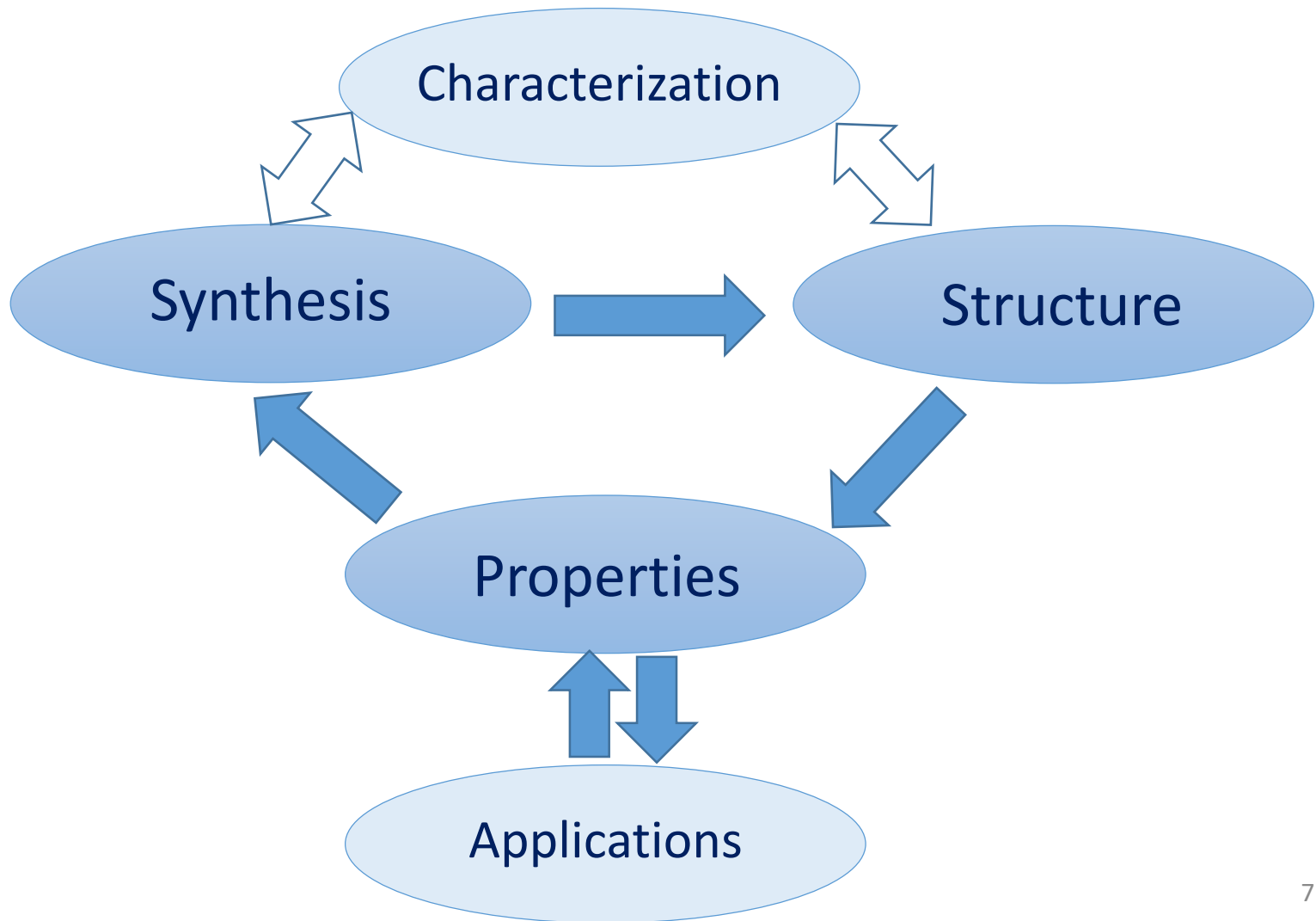
Structure and diffusion in DDNs at the nano- to micro- scale



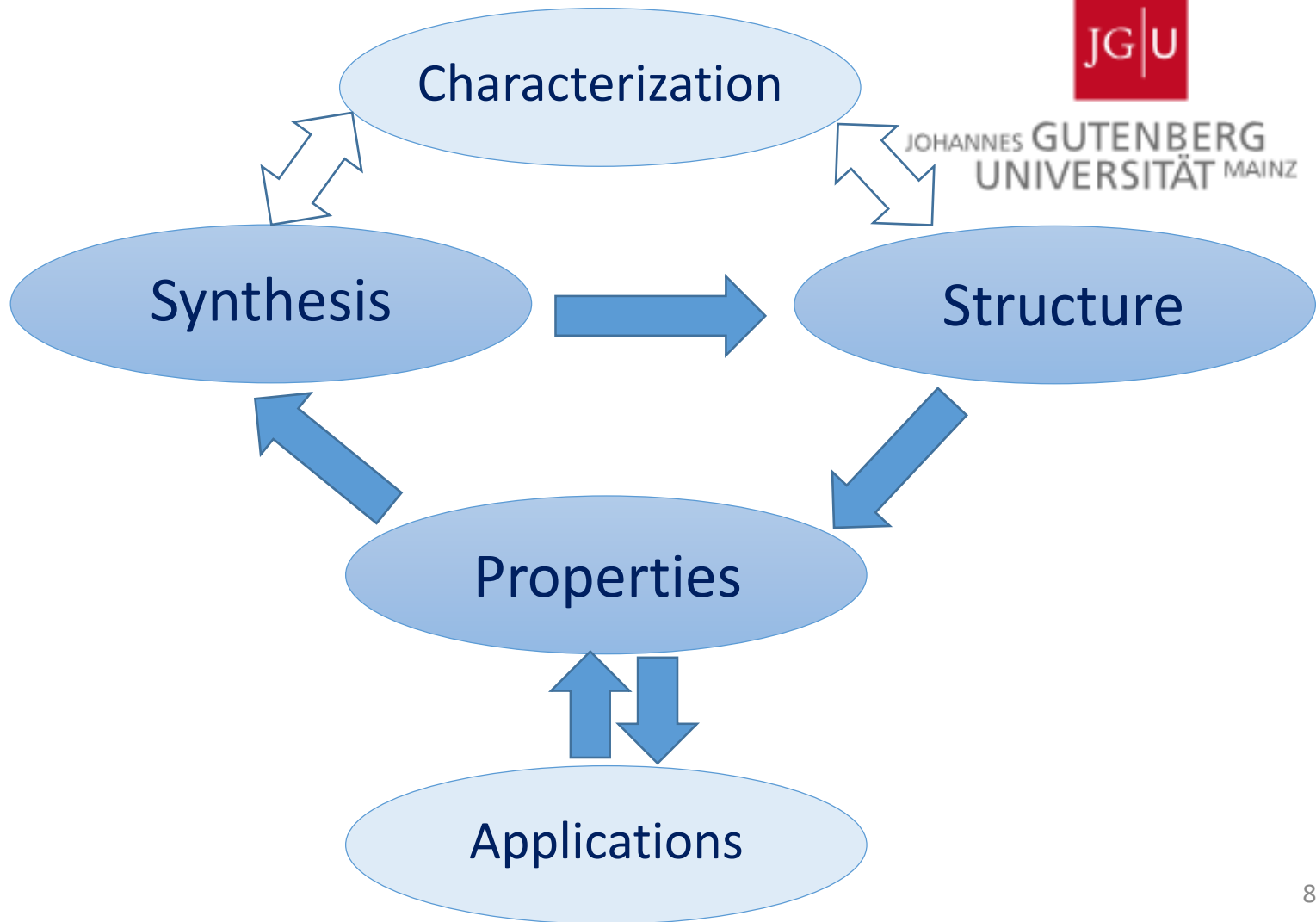
Structure and diffusion in DDNs at the nano- to micro- scale



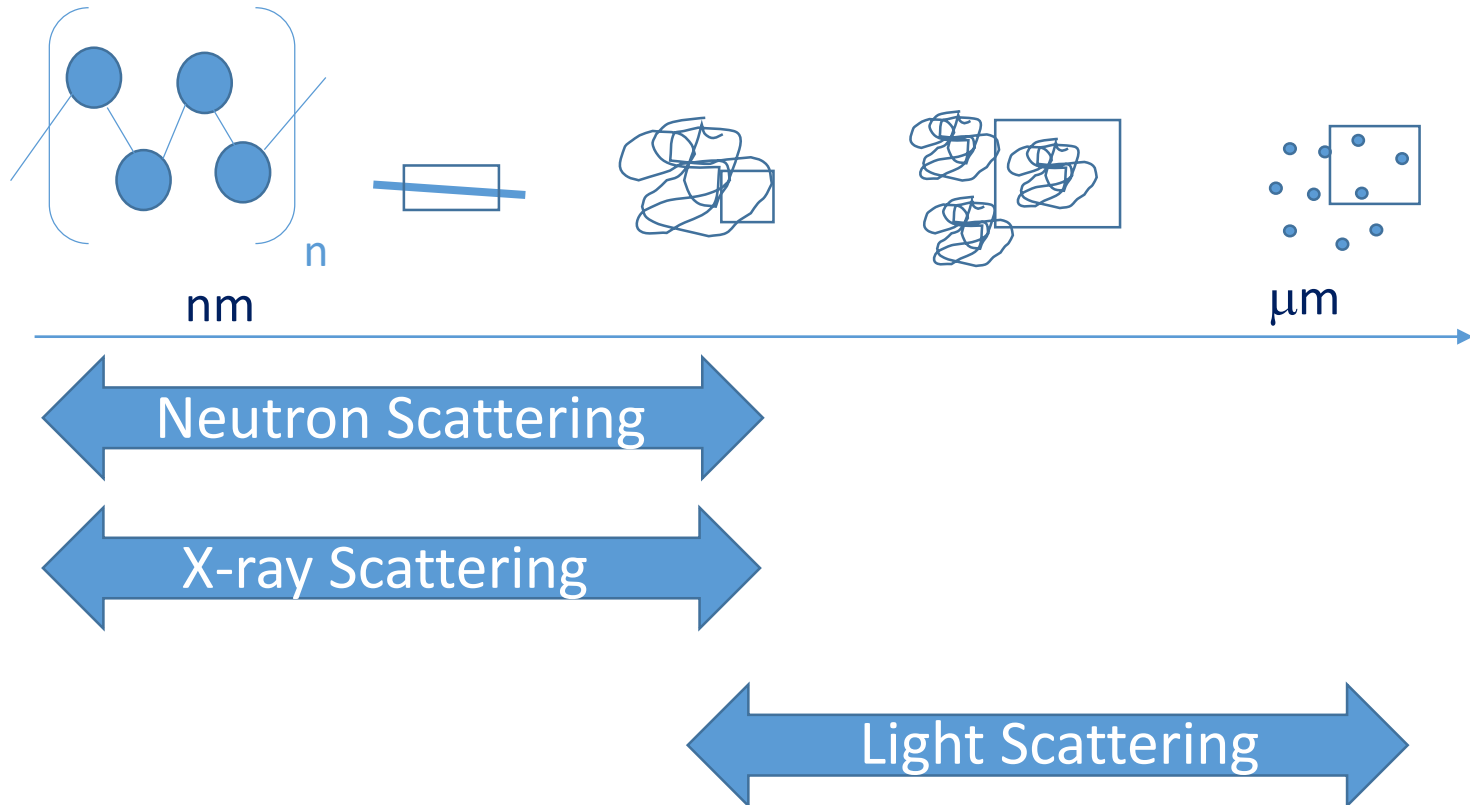
Structure and diffusion in DDNs at the nano- to micro- scale



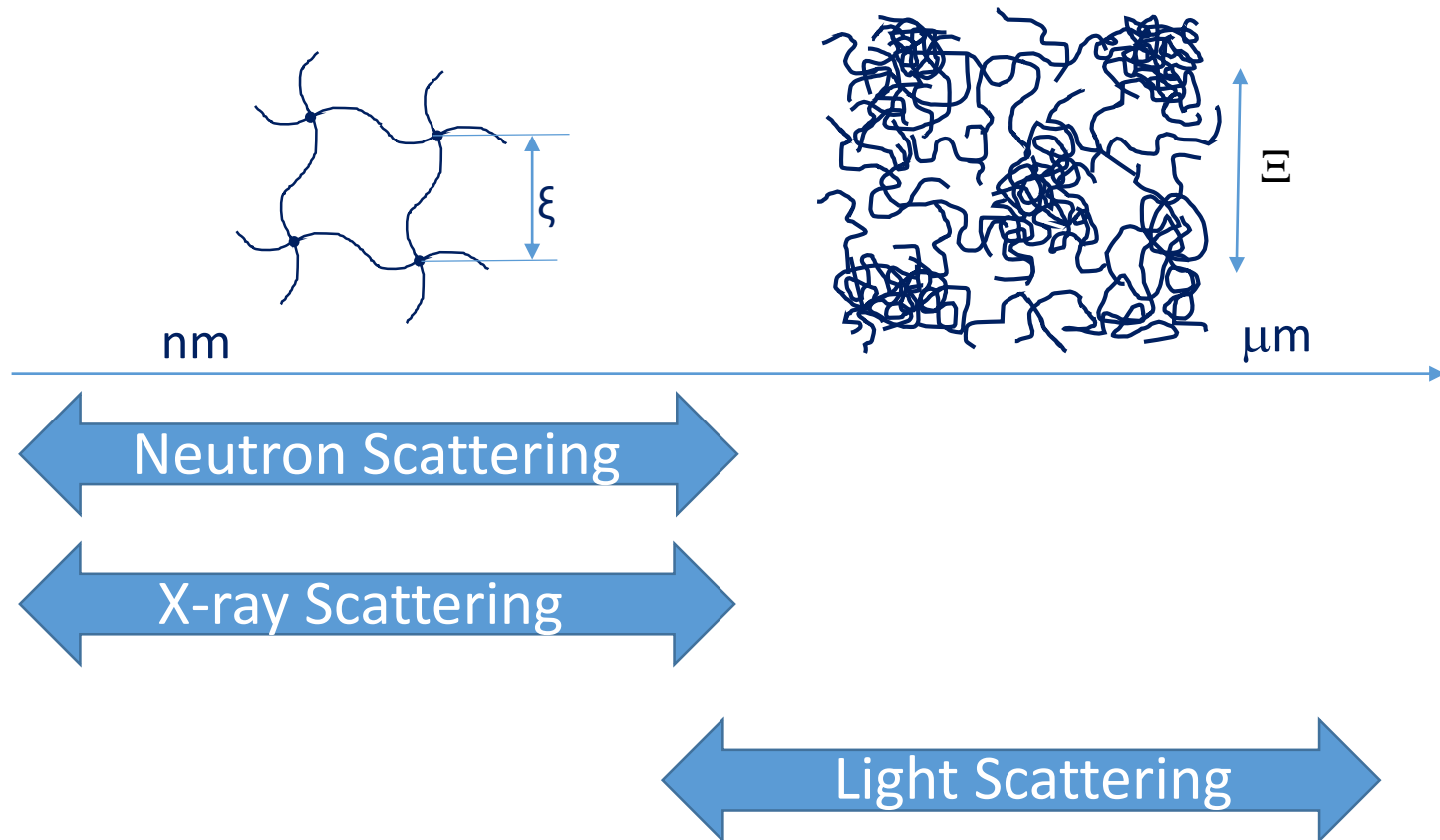
Structure and diffusion in DDNs at the nano- to micro- scale



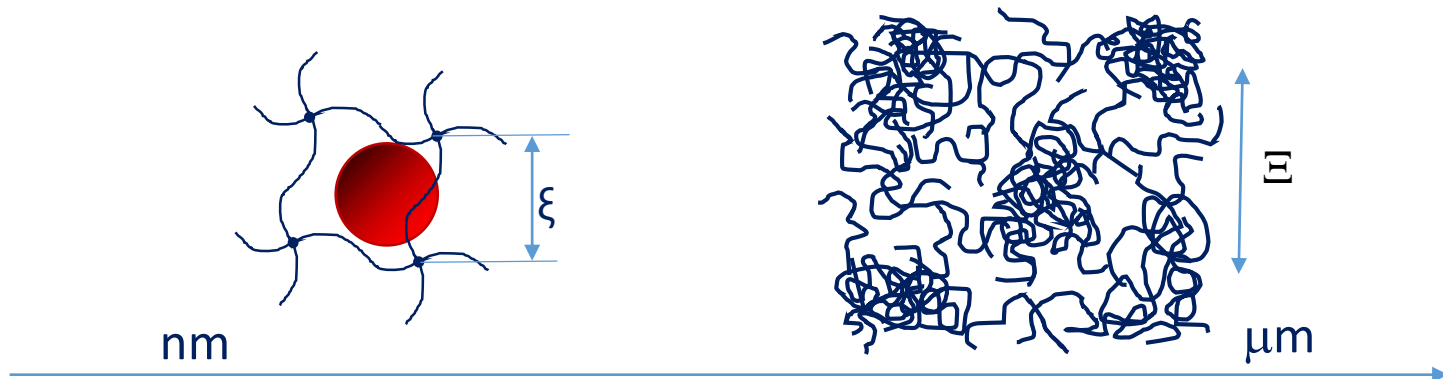
Scattering methods



Scattering methods



Scattering methods

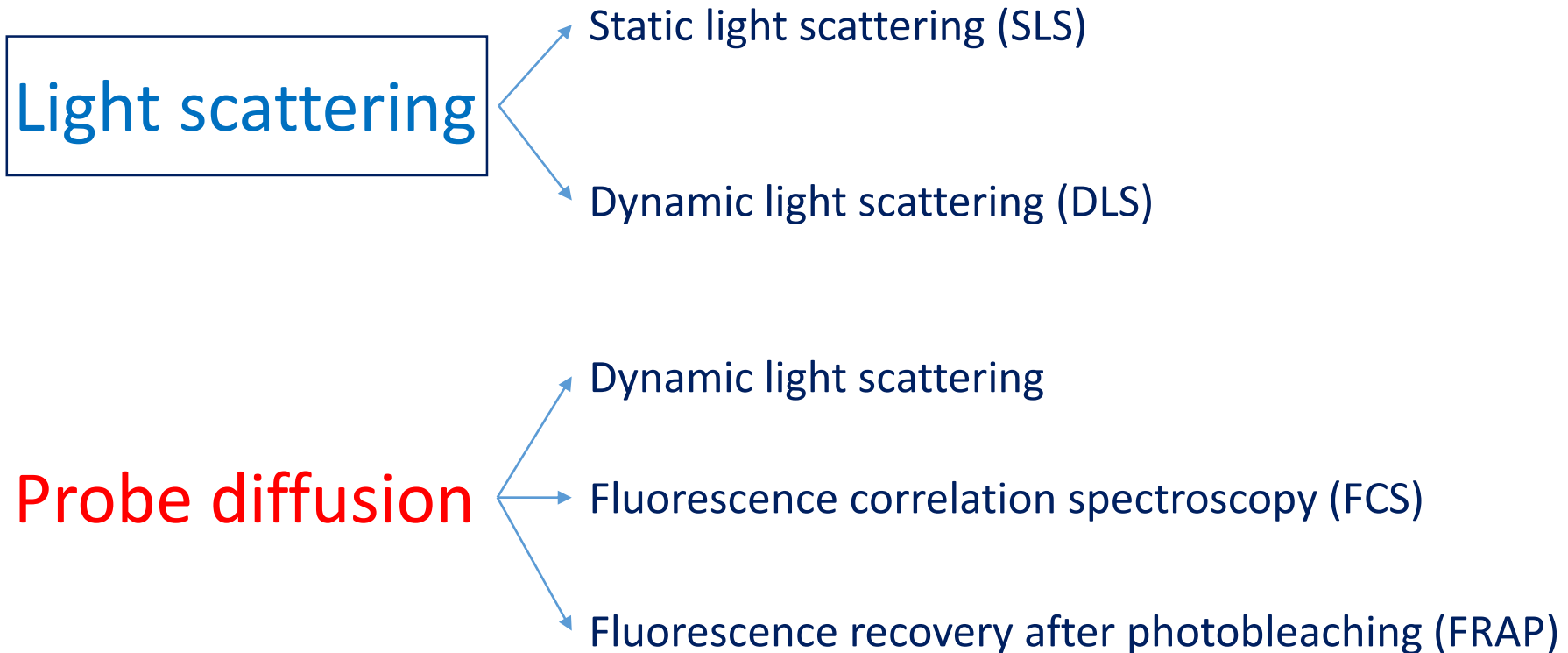


Probe diffusion

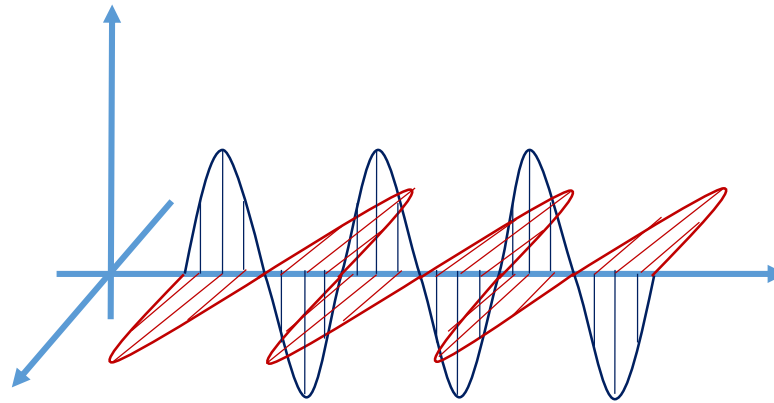
Light Scattering

From the nano- to micro- scale

Characterization techniques



Light Scattering



Light is an electromagnetic wave produced by an electric and magnetic field oscillating perpendicular to each other.

In light scattering only the electric field is considered, because the magnetic field does not interact with organic matter.

The electric field is given by:

$$E(x, t) = E_0 \cos\left(2\pi\nu\left(t - \frac{x}{c}\right)\right) + \Phi$$

ν = frequency c = speed of light

E_0 = amplitude field Φ = phase

The intensity of the light will then be:

$$I_0(x) = \varepsilon_0 c \langle E^2(x, t) \rangle$$

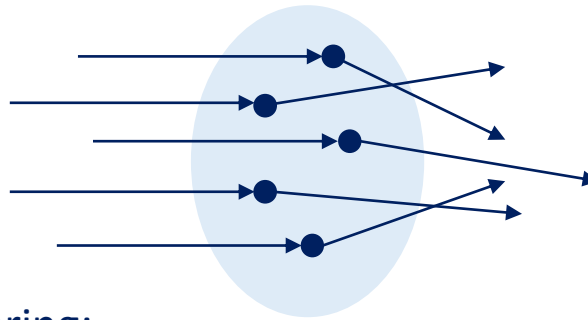
ε_0 = permittivity of vacuum

Light Scattering

When the electric field interacts with the particles, it will induce in them a dipole.



The dipole will oscillate generating other waves itself. This re-emission is the scattering.



There are 3 types of scattering:

- Elastic: if the outgoing wave has the same wavelength of the ingoing wave
- Quasi elastic: if the outgoing wave has almost the same wavelength of the ingoing wave
- Inelastic: if the outgoing wave has not the same wavelength of the ingoing wave

Dynamic and static light scattering are quasi elastic light scattering events.

Light Scattering

Static: measures the average intensity of the scattered light at different angles

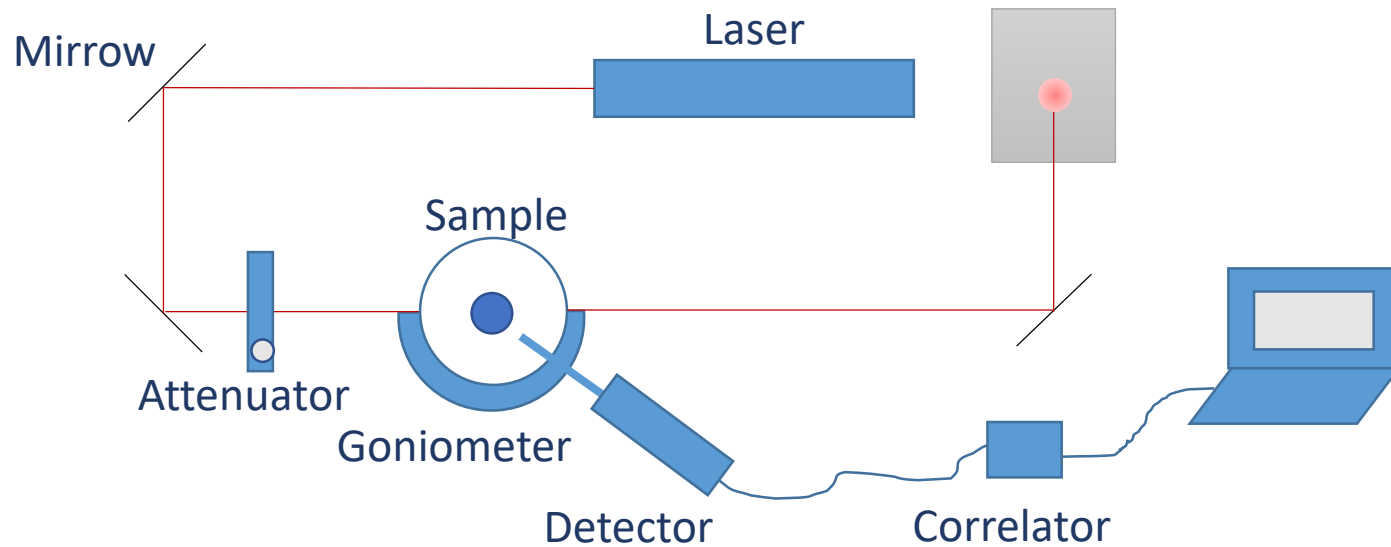
Dynamic: measures the temporal fluctuations of the scattered light

What we need in advance	SLS	DLS
Refractive index solvent	√	√
Viscosity solvent		√
Concentration sample	√	
Temperature sample		√
dn/dc	√	

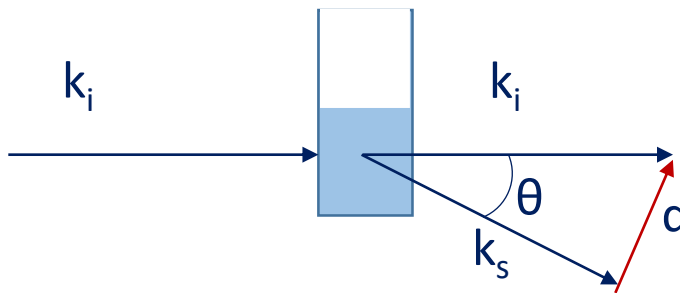
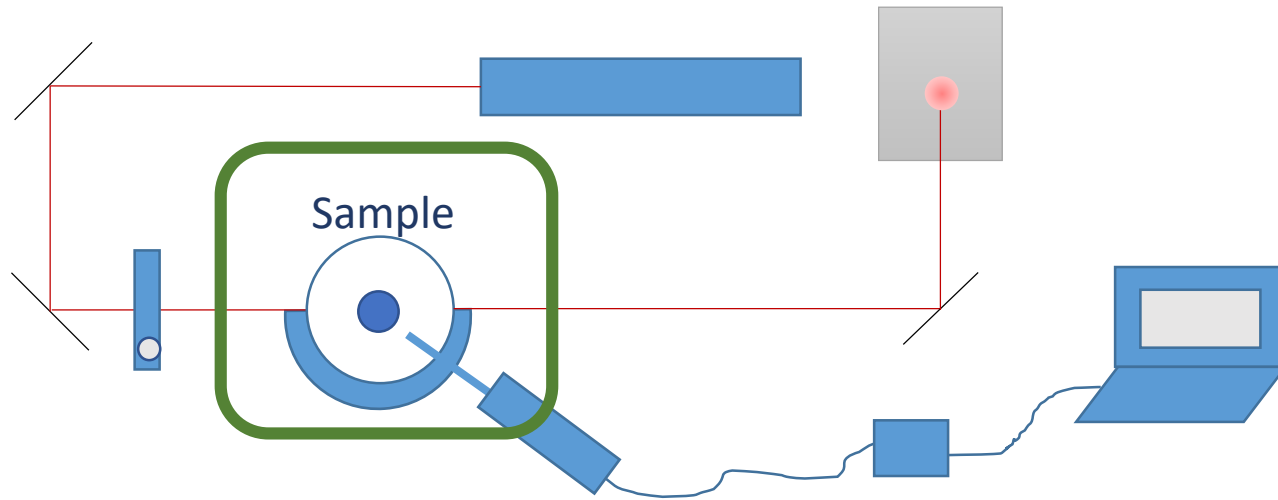
What can be determined		SLS	DLS
Single chains	Molecular weight	√	
	Radius of gyration	√	
	Hydrodynamic radius		√
	Shape	√	
Networks	Mesh size		√
	Homogeneity		√

Light Scattering

Setup



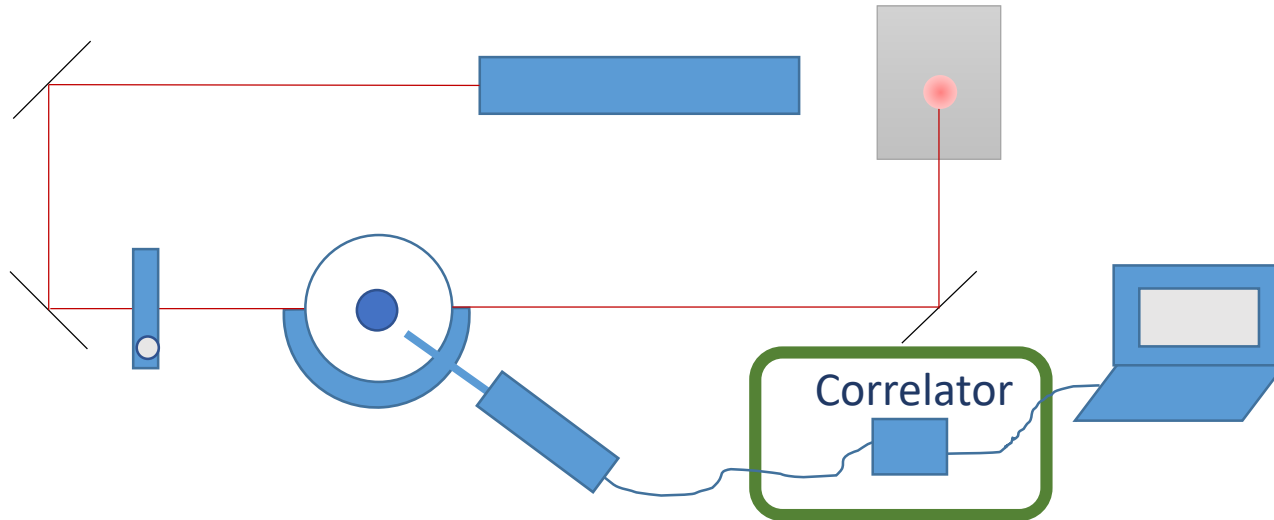
Light Scattering



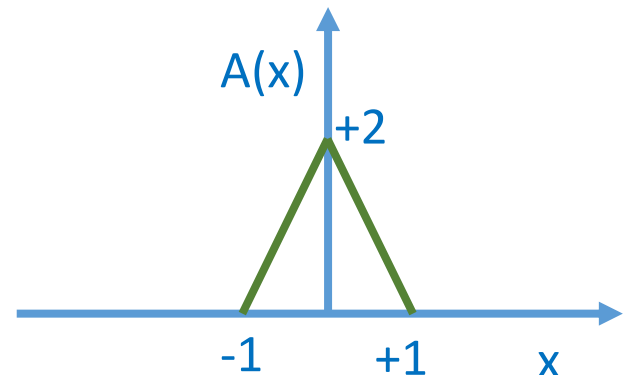
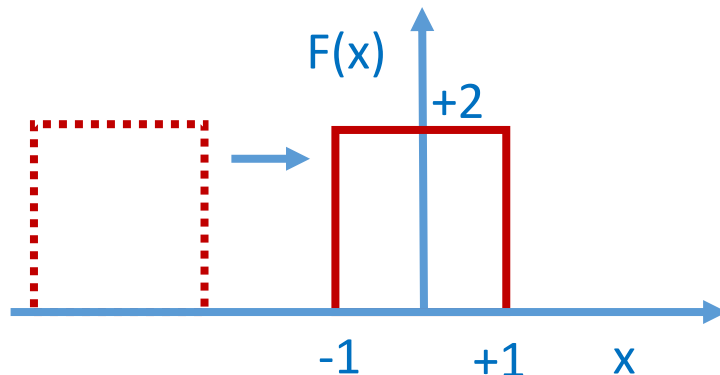
$$q = \frac{4\pi n}{\lambda} \sin\left(\frac{\theta}{2}\right)$$

$$\mathbf{q} = \mathbf{k}_{\text{incident}} - \mathbf{k}_{\text{scattered}} = \text{scattering vector}$$

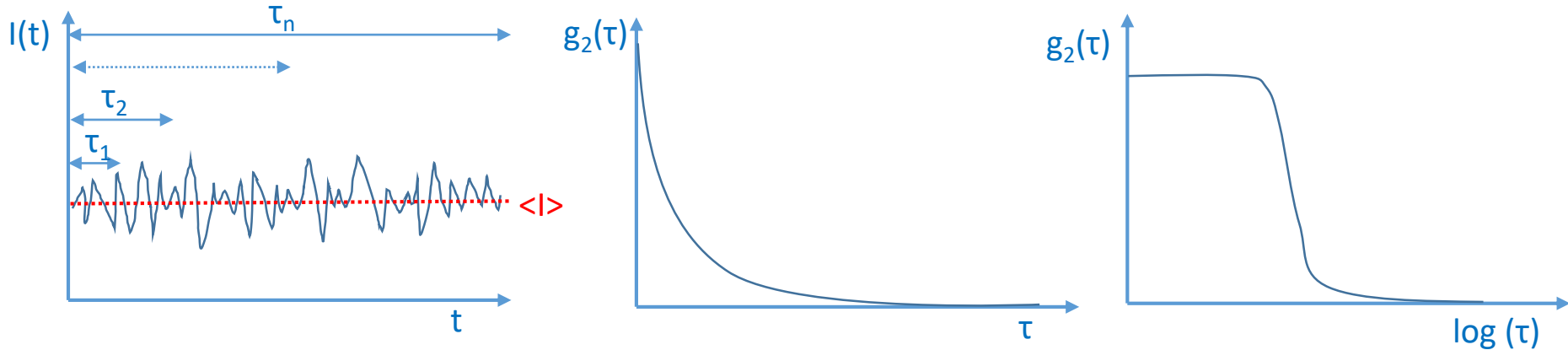
Dynamic Light Scattering



Autocorrelation function: function that relate a copy to the initial function and how it changes in relation to the set parameter



Dynamic Light Scattering



Intensity autocorrelation function

$$G_2(t) = \langle I(t) I(t+\tau) \rangle$$

$$g_2(t) = \frac{\langle I(t) I(t+\tau) \rangle}{\langle I(t) \rangle^2}$$

Field autocorrelation function

$$G_1(t) = \langle E(t) E(t+\tau) \rangle$$

$$g_1(t) = \frac{\langle E(t) E(t+\tau) \rangle}{\langle E(t) \rangle^2}$$

$$g_2(t) = 1 + \beta [2x(1-x)g_1(t) + x^2 g_1^2(t)]$$

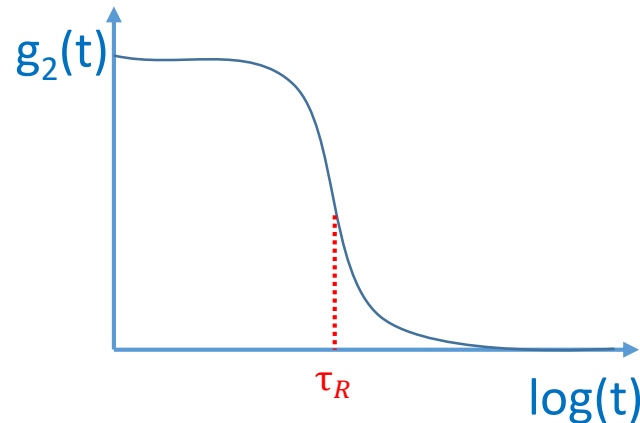
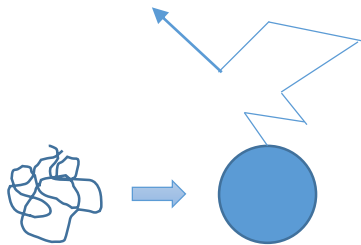
$x = 1$ ergodic systems

Siegert relationship:
$$g_1(t) = \sqrt{\frac{g_2(t) - A}{A}}$$

$0 < x < 1$ non-ergodic systems

Dynamic Light Scattering

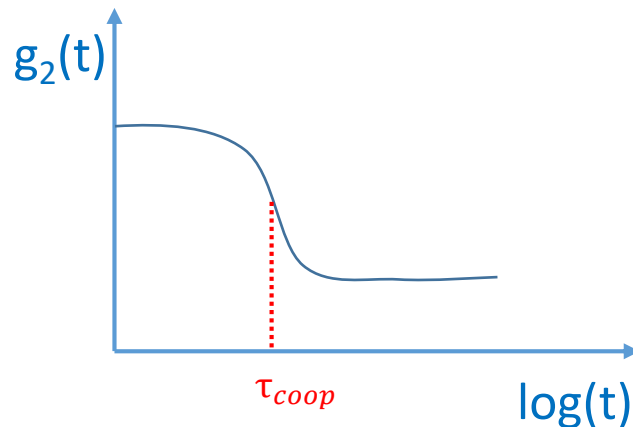
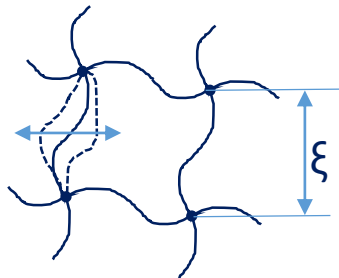
- Single chains or nanoparticles



$$\tau_R = \frac{1}{D_{self} q^2}$$

$$D_{self} = \frac{kT}{6\pi\eta R_h}$$

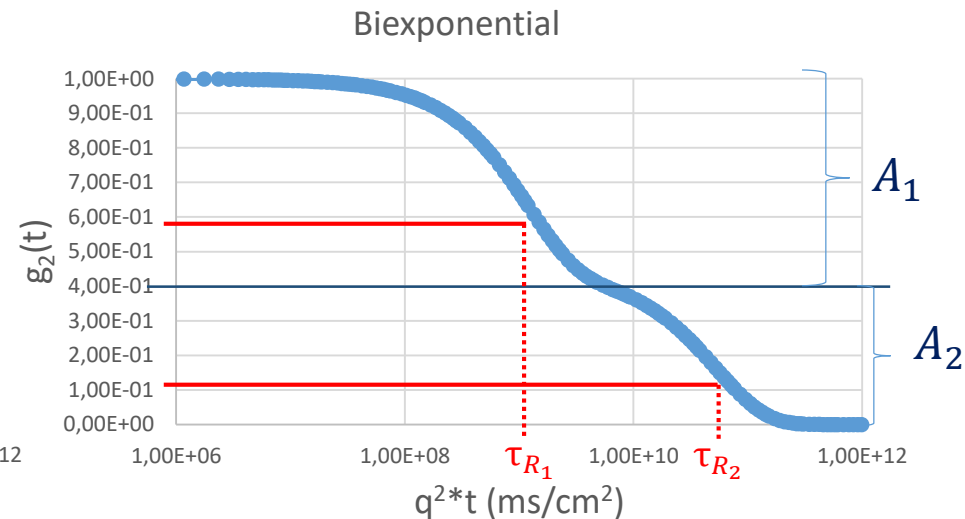
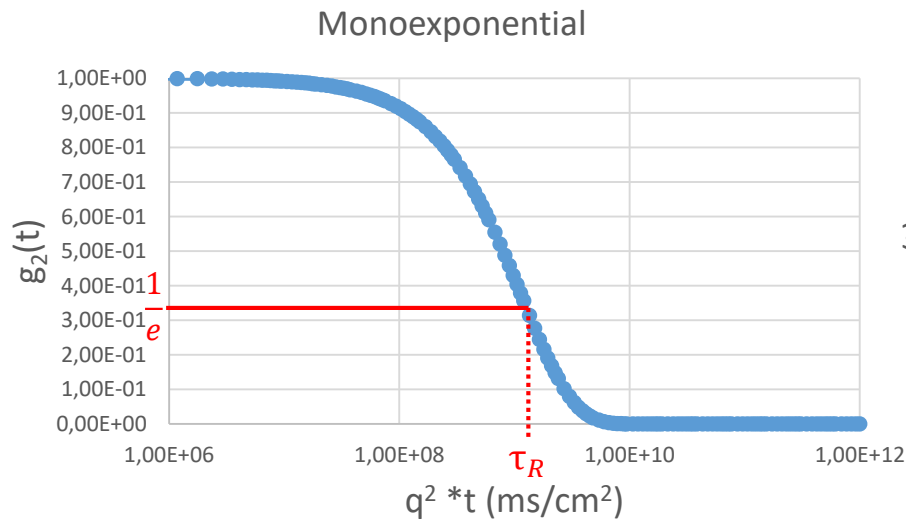
- Networks



$$\tau_{coop} = \frac{1}{D_{coop} q^2}$$

$$D_{coop} = \frac{kT}{6\pi\eta\xi}$$

Dynamic Light Scattering



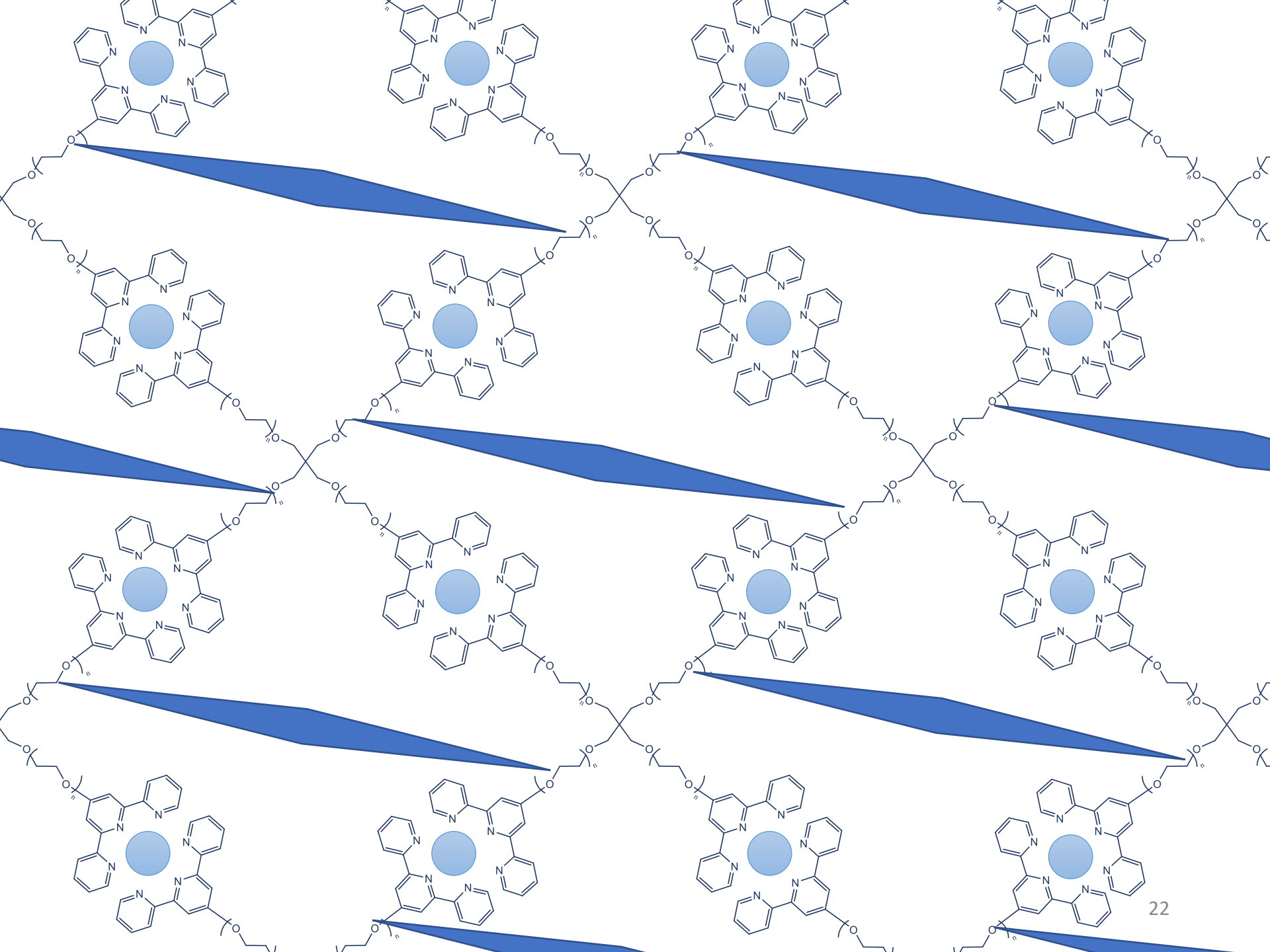
$$g_2(\tau) = A_1 \exp\left(-\frac{1}{\tau_{R1}} \tau\right)$$

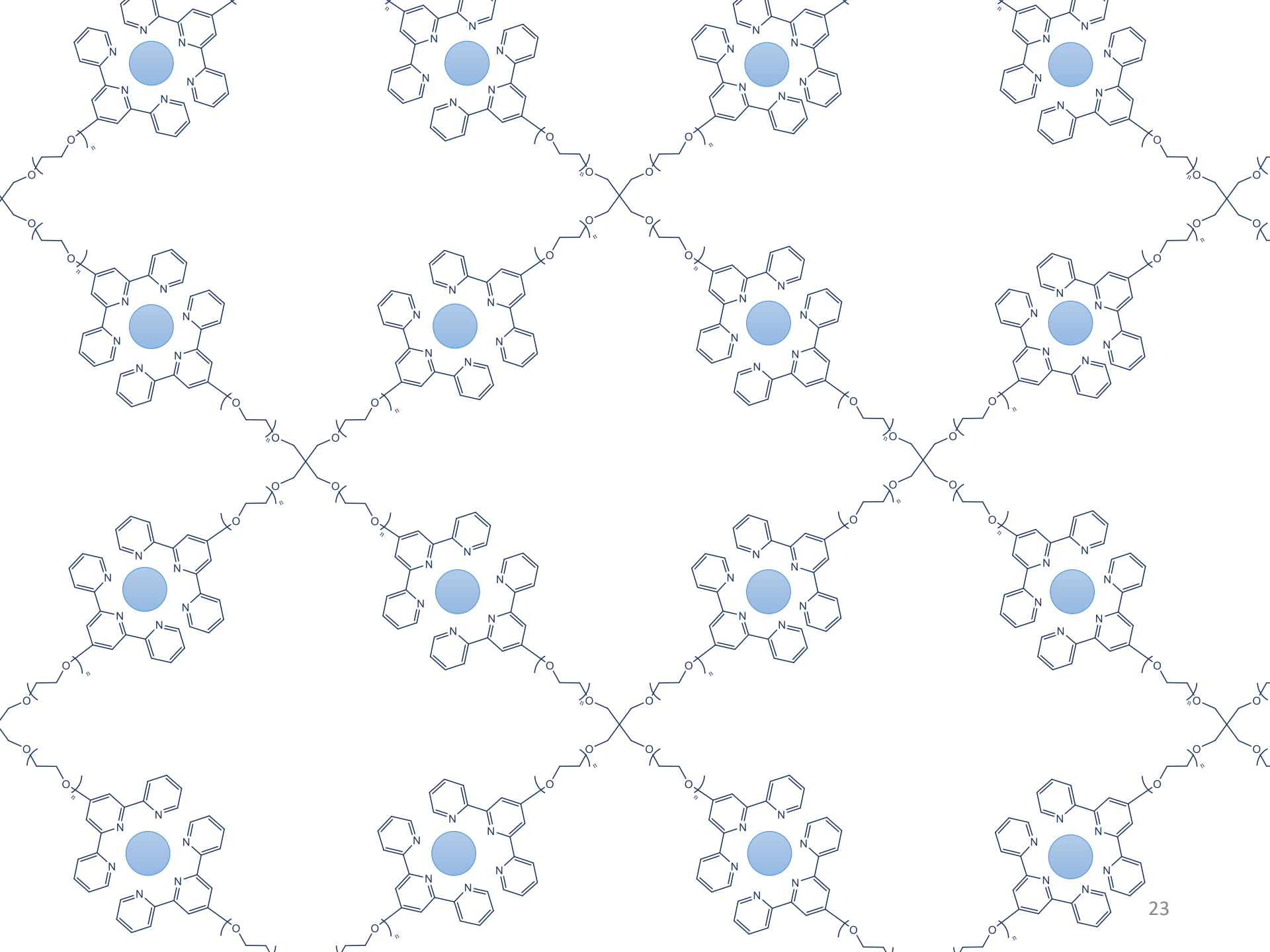
$$g_2(\tau) = A_1 \exp\left(-\frac{1}{\tau_{R1}} \tau\right) + A_2 \exp\left(-\frac{1}{\tau_{R2}} \tau\right)$$

$$\tau_R = \frac{1}{Dq^2}$$

$$g_2(\tau) = A_1 \exp(-D_1 q^2 \tau)$$

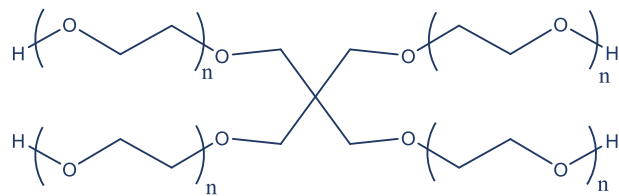
$$g_2(\tau) = A_1 \exp(-D_1 q^2 \tau) + A_2 \exp(-D_2 q^2 \tau)$$





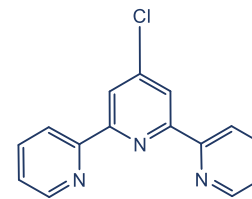
Experimental part

Synthesis



4-arm Poly ethylene glycol (PEG)
10 000 g/mol

+

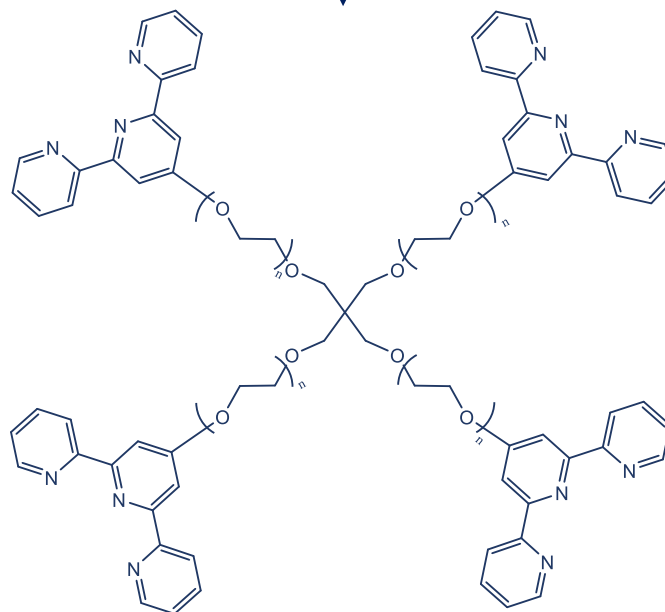


Chloro terpyridine

DMSO (dry)

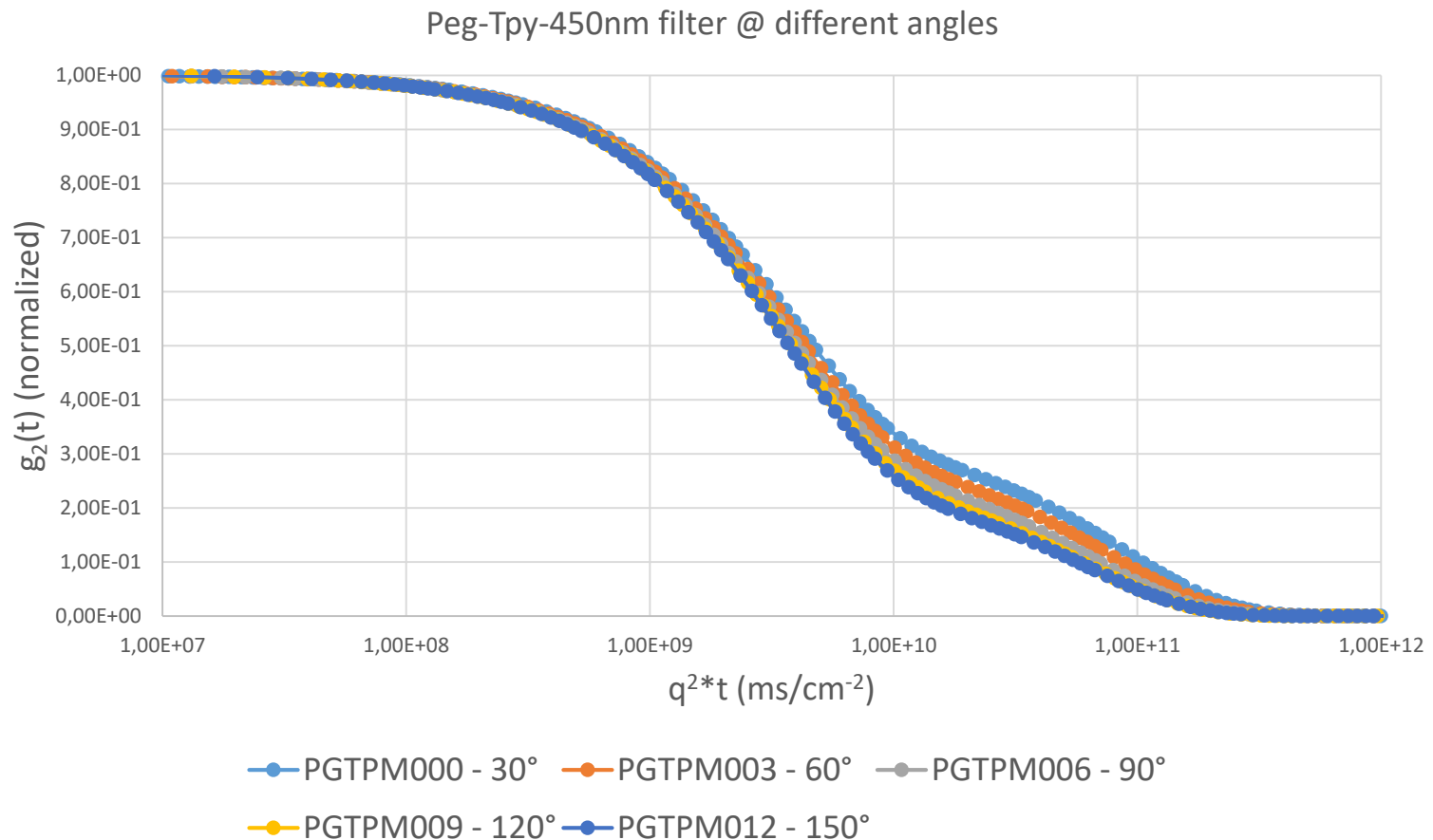
KOH

Kryptand 2.2.2.

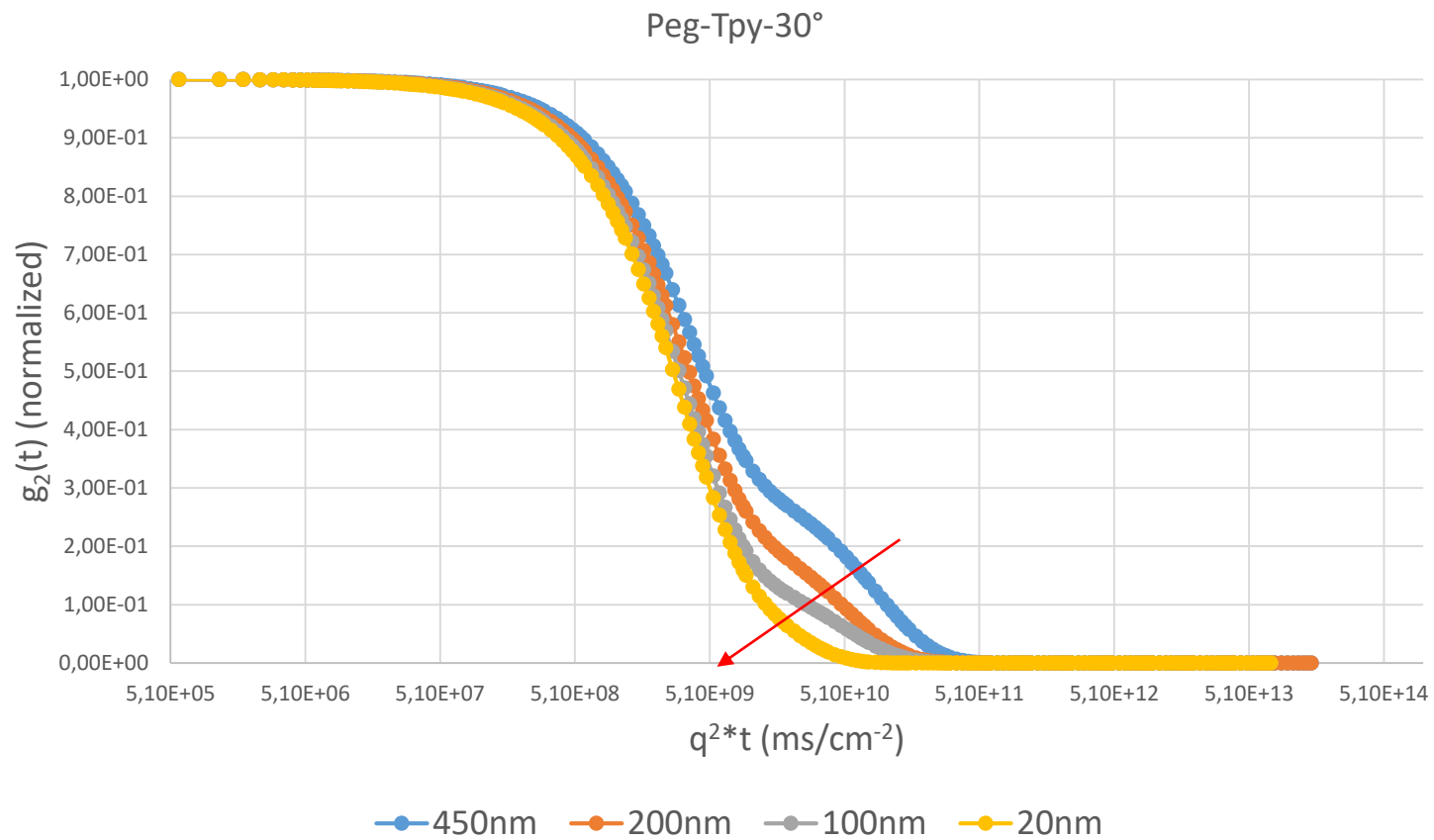


Results

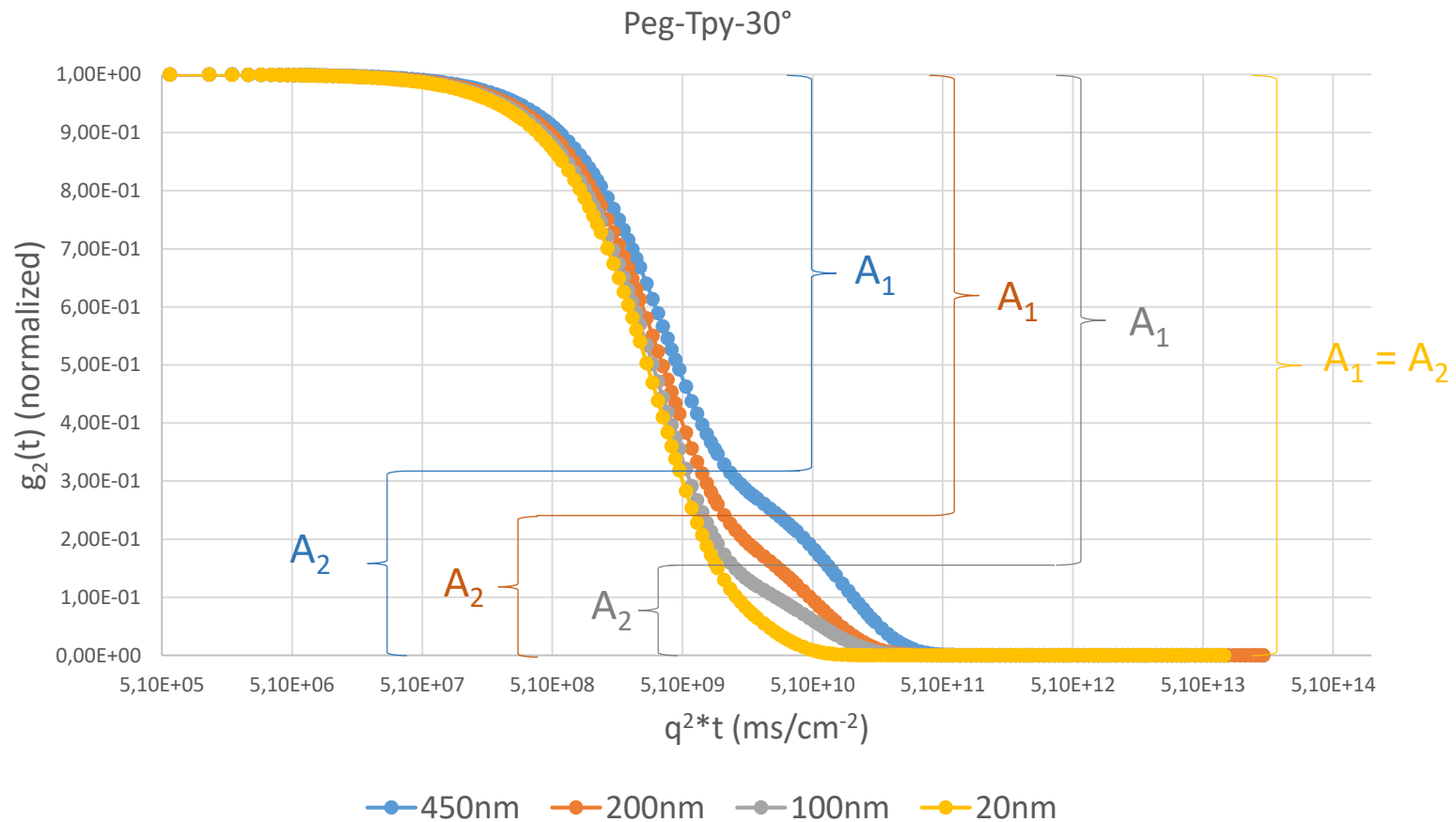
It is biexponential because
there are impurities!



Results

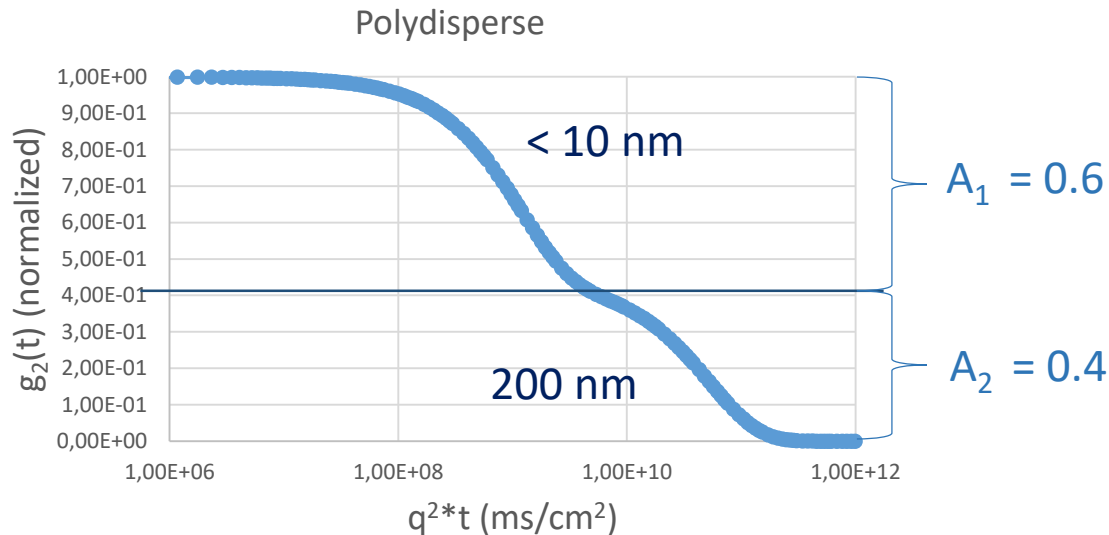


Effect of impurities



$$g_2(\tau) = A_1 \exp(-D_1 q^2 \tau) + A_2 \exp(-D_2 q^2 \tau)$$

Effect of impurities



$$M = c R^3$$

$$\frac{c_1}{c_2} = \frac{R_1^3}{R_2^3} \quad c_1 = \frac{R_1^3}{R_2^3} c_2$$

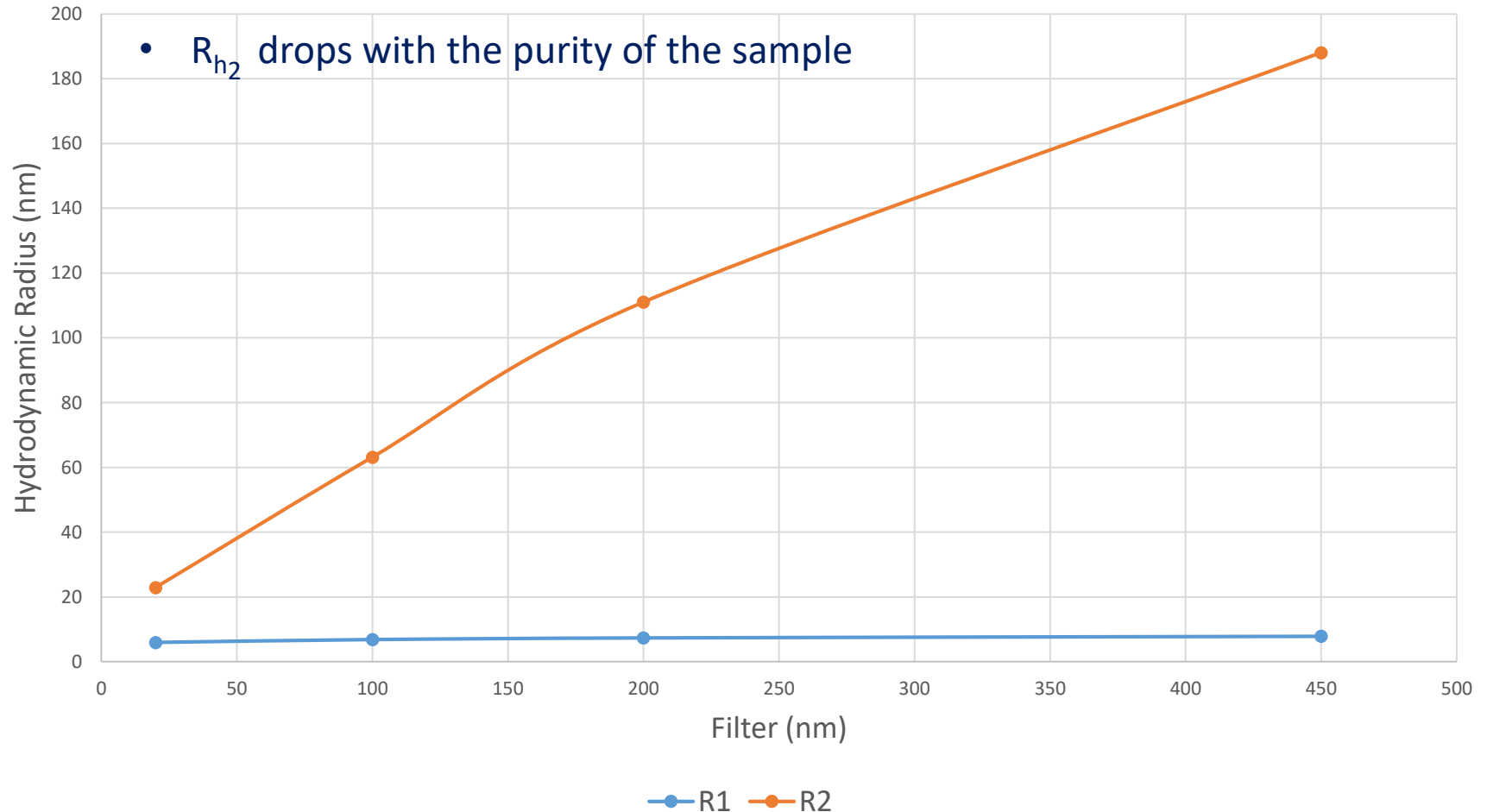
Only the 1% of impurities gives
40% of the scattering intensity!

$$x_{c_2}(\%) = \frac{c_2}{c_1 + c_2} * 100 = \frac{c_2}{\frac{R_1^3}{R_2^3} c_2 + c_2} * 100 = 1\%$$

Hydrodynamic Radius

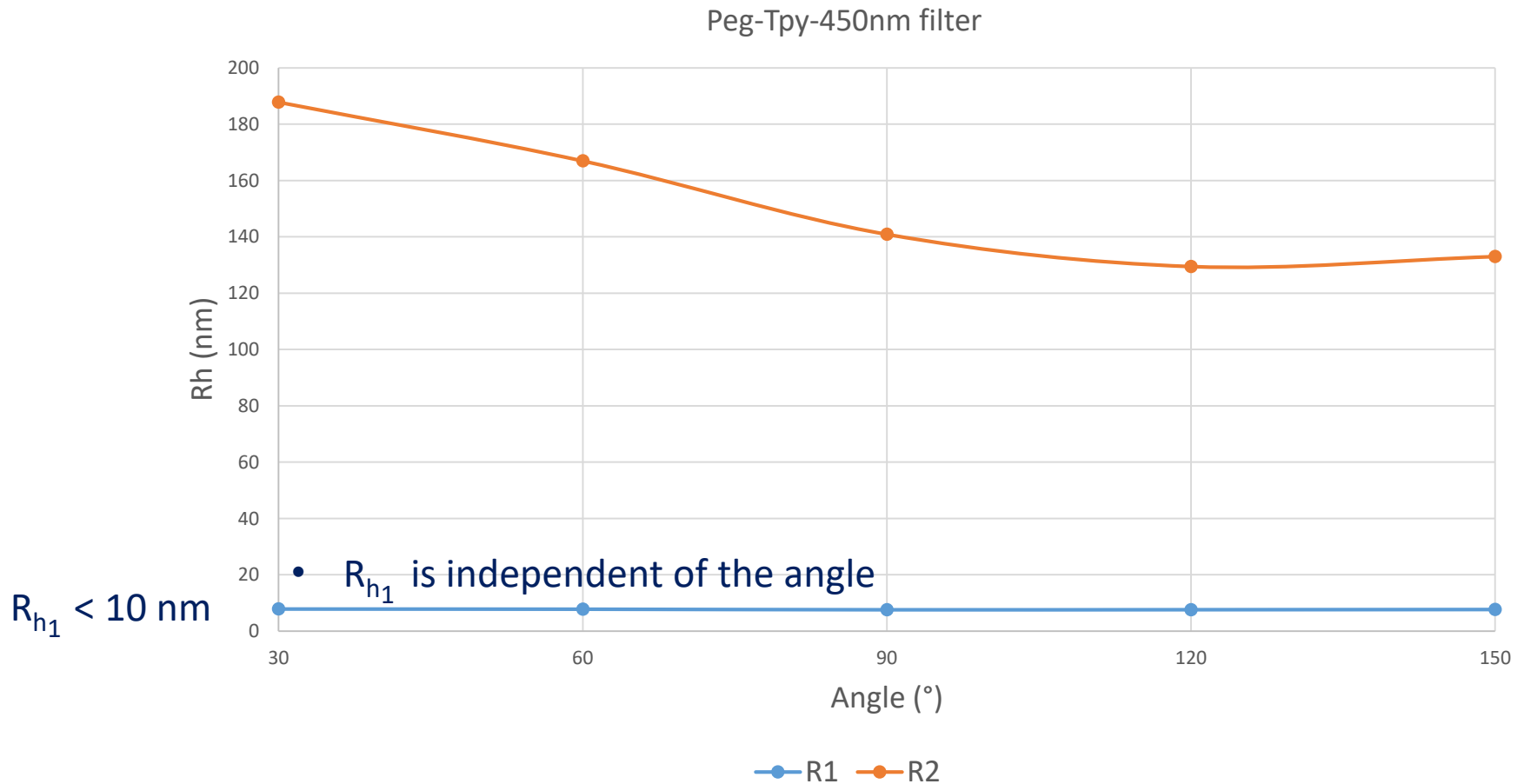
$$R_h = \frac{kT}{6\pi\eta D}$$

Peg-Tpy-30°



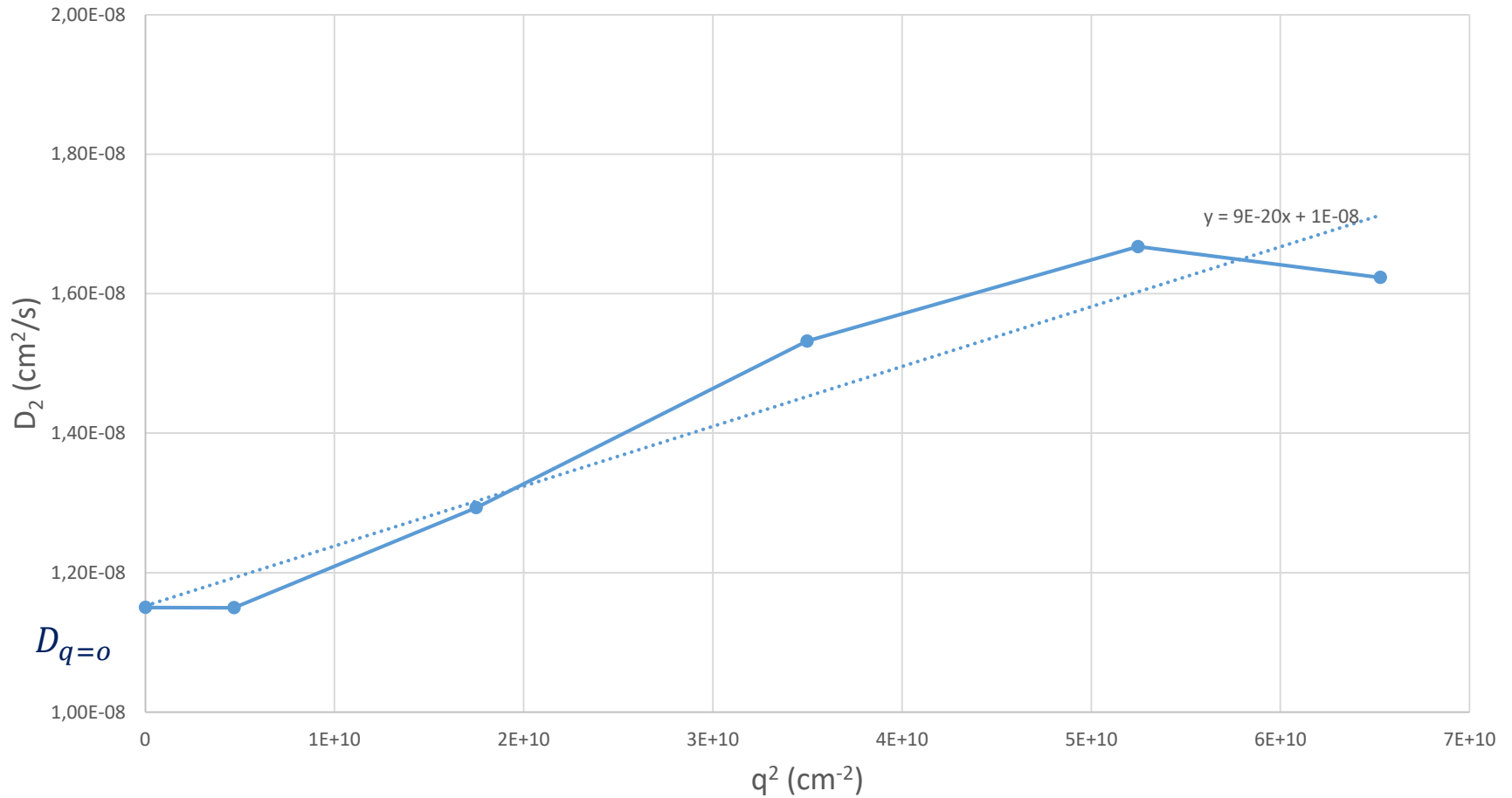
Hydrodynamic Radius

$$R_h = \frac{kT}{6\pi\eta D}$$



Diffusion coefficient

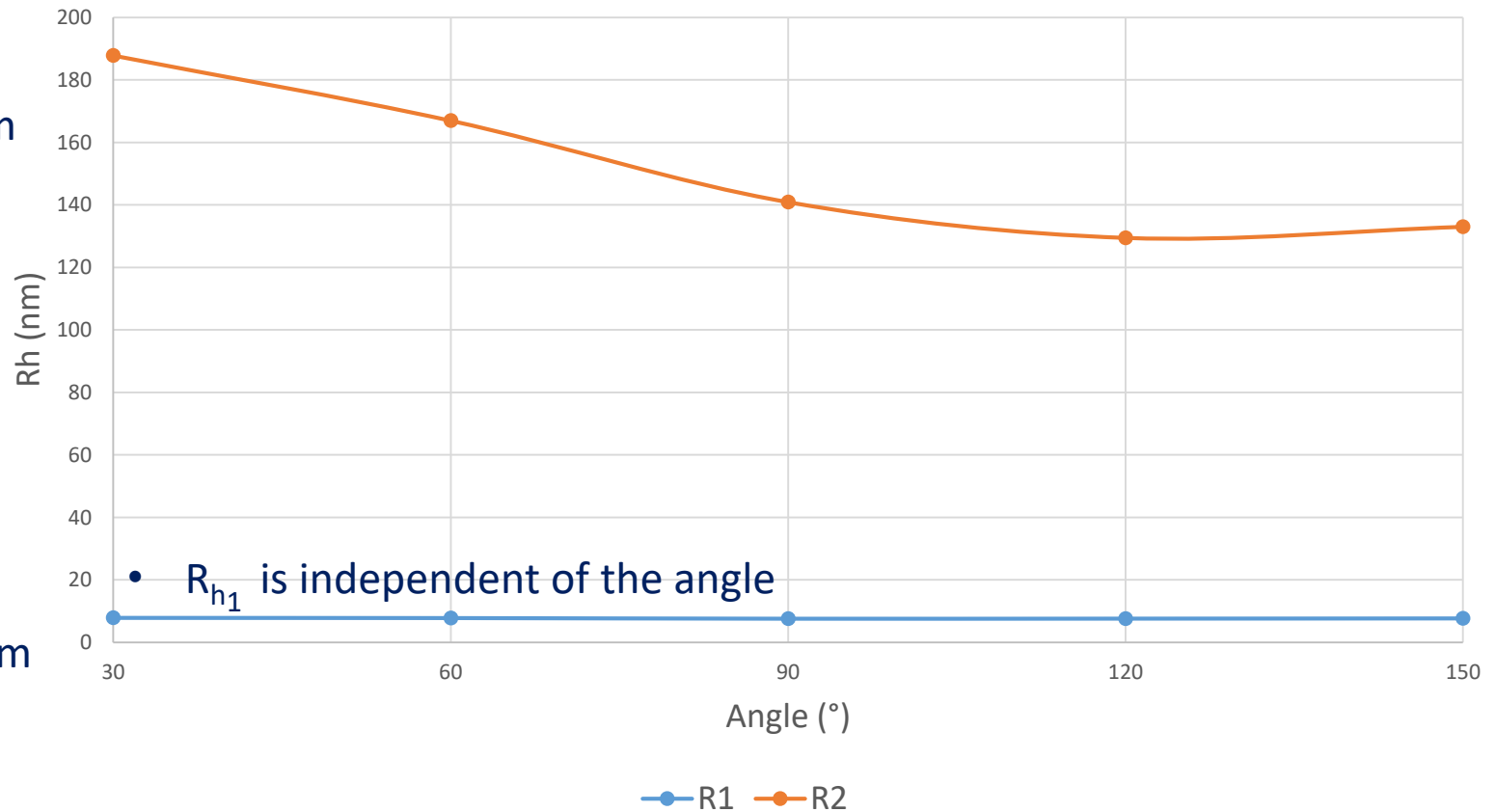
D2



Hydrodynamic Radius

$$R_h = \frac{kT}{6\pi\eta D}$$

Peg-Tpy-450nm filter



$R_{h_2} = 180 \text{ nm}$

• R_{h_1} is independent of the angle

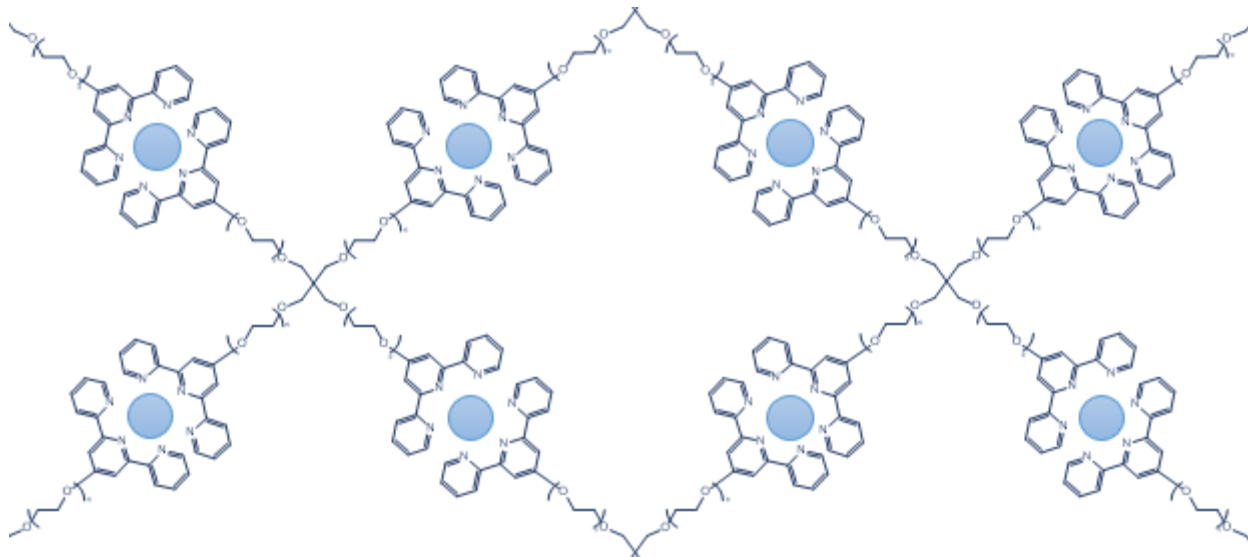
$R_{h_1} < 10 \text{ nm}$

Conclusions

- ❖ The presence of impurities brings to bi-exponential curves
- ❖ A small concentration of impurities contribute almost half to the intensity
- ❖ Measurements of molecules smaller than 10 nm are angle independent
- Purity of sample and environment is necessary
- Preparation of networks in situ is mandatory

Future plans

- Analysis of the supramolecular network



- Analysis of other DoDyNet samples

Thank you for your attention

Questions?